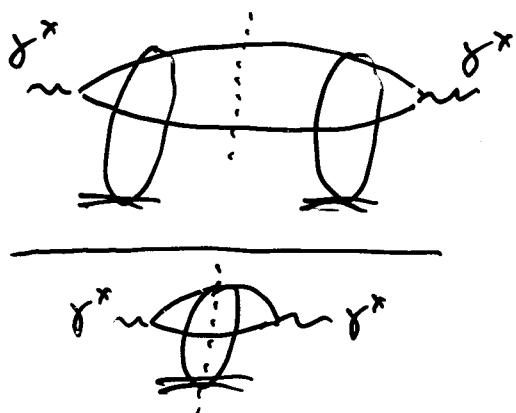


Saturation (GBW): (For $q\bar{q}$)



$$r > 2R_0(x)$$

$$r < 2R_0(x)$$

: Varies weakly with W^2
(logarithmic)

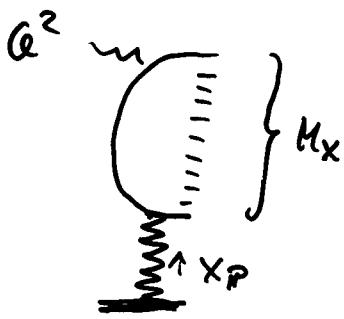
subtle manifestation of saturation!

Conclusion: (personal)

- appealing physical picture (simple, consistent with QCD)
explains different phenomena
- cannot convince those who do not believe

4) Diffractive parton densities:

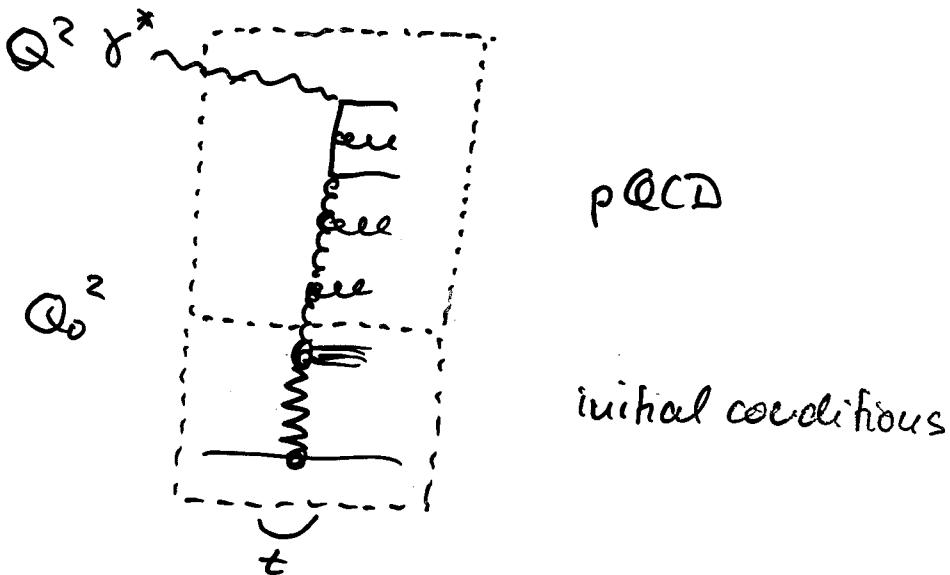
19



$$\beta = \frac{Q^2}{M^2 \tau Q^2} \quad , \quad x_B = \beta x_P$$

$$d\sigma \sim f(x_P) \bar{F}_2^D(\beta, Q^2)$$

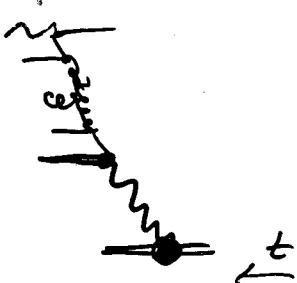
Q^2 -variation: DGLAP evolution (Factorization theorem)



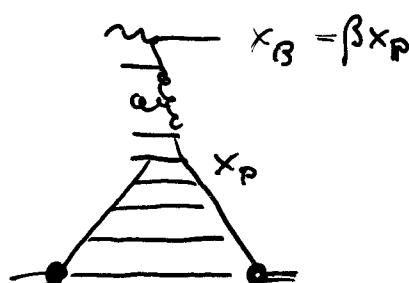
- Result:
- new fit to diffractive PDF's
 - effective $\alpha_{\text{eff}}(t) = \alpha_{\text{eff}}(0) + \alpha' \cdot t$
 - $\alpha_{\text{eff}}(0) > \alpha_{\text{soft}} = 1.08$
 - \rightarrow higher non-collinear scale in "Pomeron region"

Space-time picture:

not:



but:
Pomeron is part
of the proton

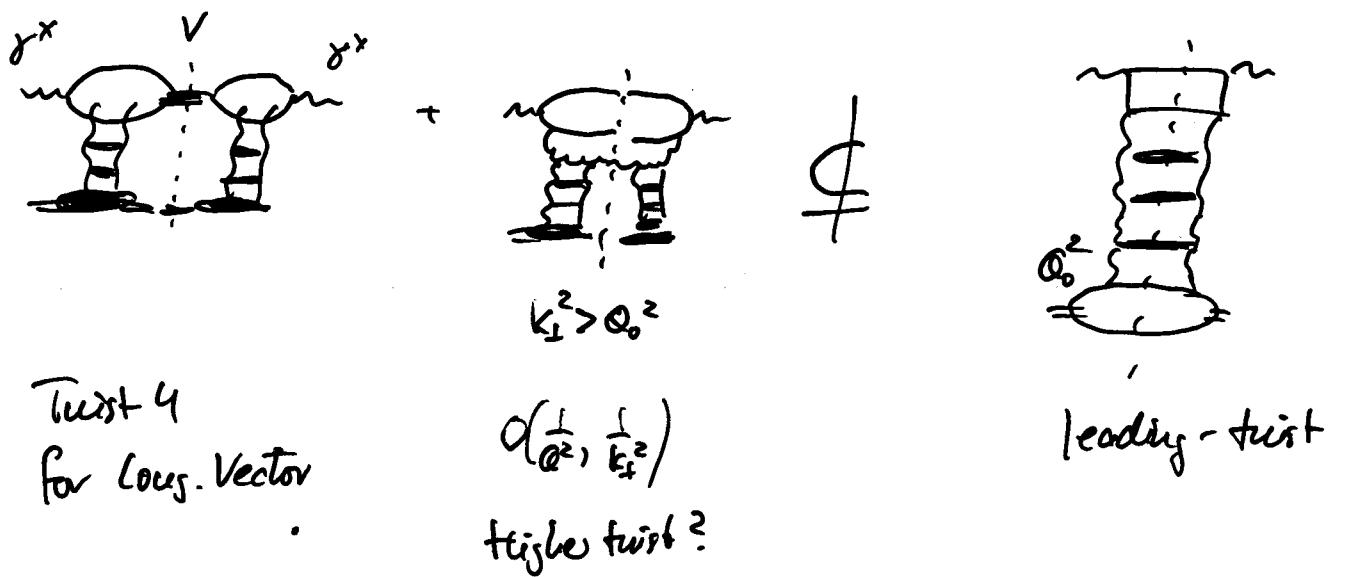


5. Diffraction and \bar{F}_2

DIS diffraction is part of $\sigma_{\text{tot}}(x, p) = \frac{4\pi k_{\text{em}}^2}{Q^2} \bar{F}_2(x, Q^2)$.

But: does all diffractive cross section belongs to leading-twist DGLAP?

Can diffractive cross section be used to estimate corrections to DGLAP?



Attempt of quantitative estimate:

Mantin, Ryškin, Watt

- perform global fit after removal of hard part of diffraction
- gluon less negative, visible effect
- not all diffraction belongs to leading-twist DGLAP

Comment on higher twist: not large / small in \bar{F}_2

$\bar{F}_2 = \bar{F}_L + \bar{F}_T$: partial cancellation of twist 4 in \bar{F}_2
may explain small higher twist in \bar{F}_2

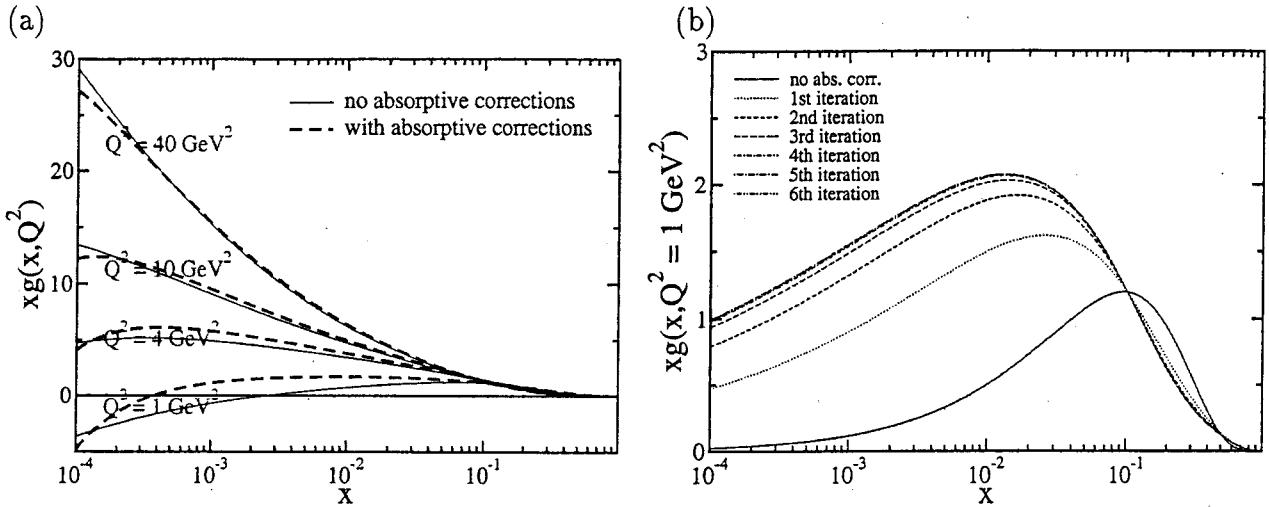


Figure 3: (a) The gluon distribution obtained from fits to F_2 data, before and after absorptive corrections have been included. (b) The effect of successive iterations on the gluon distribution obtained from fits to F_2 , taking a positive definite input gluon at 1 GeV. Each iteration introduces another level of $2 \rightarrow 1$ Pomeron mergings.

fairly rapid, with only the first three iterations having a significant effect, that is, the ‘fan’ diagrams which include $8 \rightarrow 4 \rightarrow 2 \rightarrow 1$ Pomeron mergings.

Although we have seen that the inclusion of absorptive corrections has reduced the need for a *negative* gluon, it has not solved the problem of the *valence-like* gluon. That is, the gluon distribution at low scales still decreases with decreasing x , whereas from Regge theory it is expected to behave as $xg \sim x^{-\lambda_{\text{soft}}}$ with $\lambda_{\text{soft}} \simeq 0.08$. We have studied several possibilities of obtaining a satisfactory fit with this behaviour [13]. The only modification which appears consistent with the data (and with the desired $\lambda_g = \lambda_S$ equality) is the inclusion of power-like corrections, specifically, a global shift in all scales by about 1 GeV^2 . (Note that a similar shift in the scale is required in the dipole saturation model [22].) However, we do not have a solid theoretical justification for this shift. Therefore, a more detailed, and more theoretically-motivated, investigation of the effect of power corrections in DIS is called for.

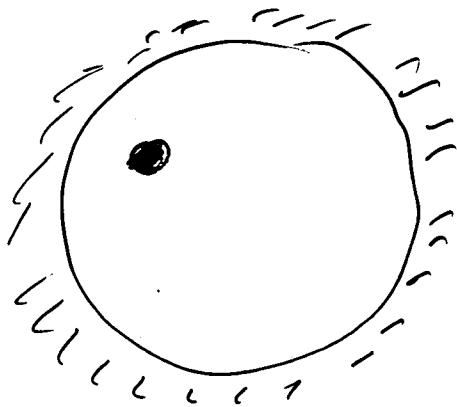
Acknowledgements

We thank Robert Thorne for useful discussions. ADM thanks the Leverhulme Trust for an Emeritus Fellowship. This work was supported by the UK Particle Physics and Astronomy Research Council, by the Federal Program of the Russian Ministry of Industry, Science and Technology (grant SS-1124.2003.2), by the Russian Fund for Fundamental Research (grant 04-02-16073), and by a Royal Society Joint Project Grant with the former Soviet Union.

References

- [1] L. V. Gribov, E. M. Levin and M. G. Ryskin, Phys. Rept. **100** (1983) 1.

Conclusion: $\delta^x p$, (quasi) elastic



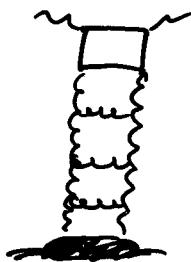
- Partly computable [energy, Ω^2 -dependence]
- " nonperturbative (Ruelle, α_{eff})
- physical picture for transition (saturation)

V. Beyond Ladder Exchanges:

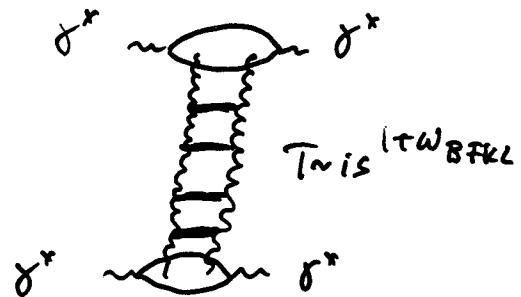
Reggeon Field Theory; AGK rules

Ladder diagrams:

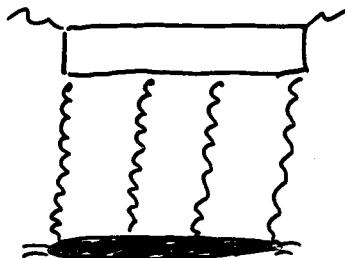
DGLAP
evolution



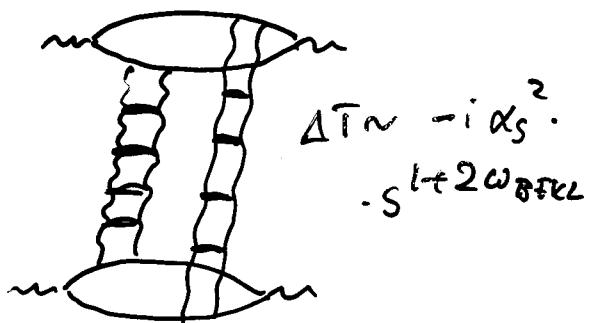
BFLC:



Beyond:



$$\text{Higher twist: } \frac{1}{Q^2} \Delta F_2(x, Q^2)$$



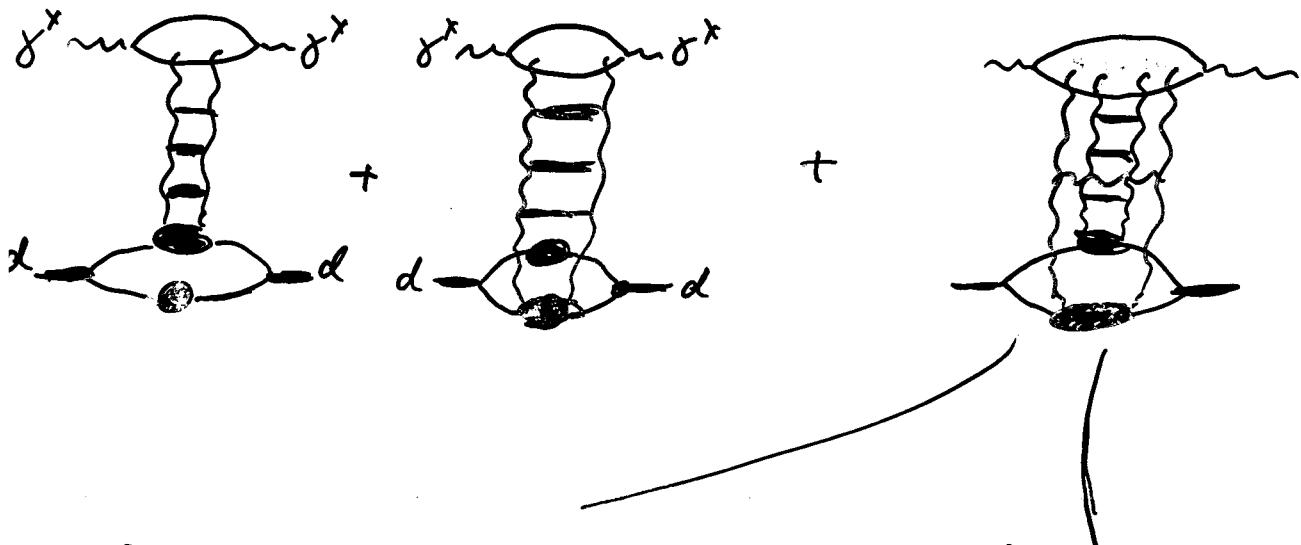
→ at small x (large s) need to consider

field systematics (for BFLC approach)

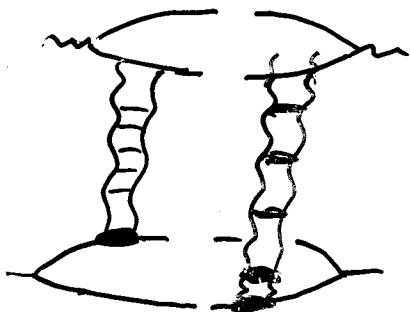
complementary to other approaches

DIS on deuterium: consider $\gamma^* d \rightarrow \gamma^* d$, use optical theorem

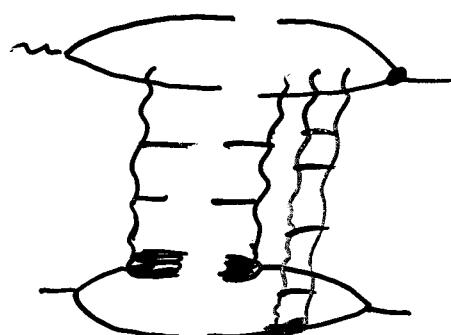
$d =$ weakly bound state of p and n



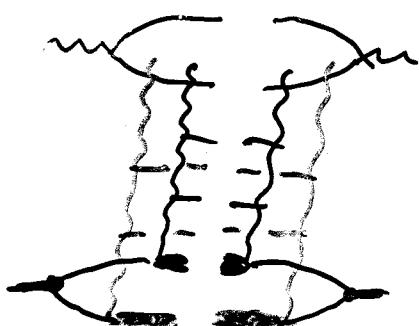
3 different contributions: (see later)



diffractive



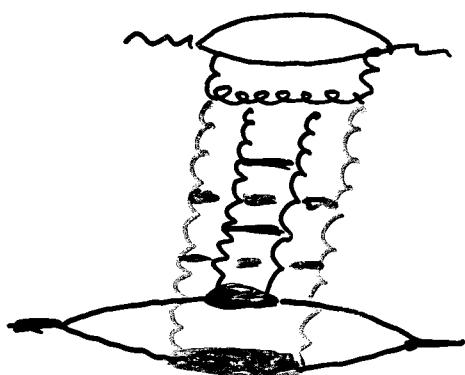
absorption



double cut

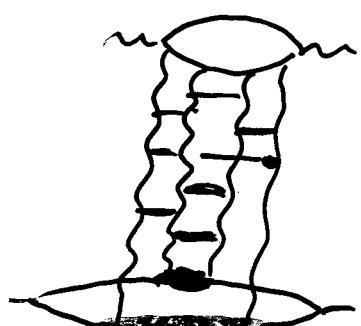
Generalizations:

(a)



$$\delta^x \rightarrow q\bar{q} + n g$$

(b)



ladders loose identity
 [but: large Nc helps!]

(c) Integral equations: coupled set of equations for gluon correlators

$$\text{shaded loop} = \text{shaded loop} + \text{shaded loop}$$

$$\text{shaded loop} = \text{shaded loop} + \text{shaded loop} + \text{shaded loop} + \sum \text{shaded loop}$$

$$\text{shaded loop} = \text{shaded loop} + \text{shaded loop} + \text{shaded loop} + \text{shaded loop} + \sum \text{shaded loop}$$